

■ Beispiel 5.11

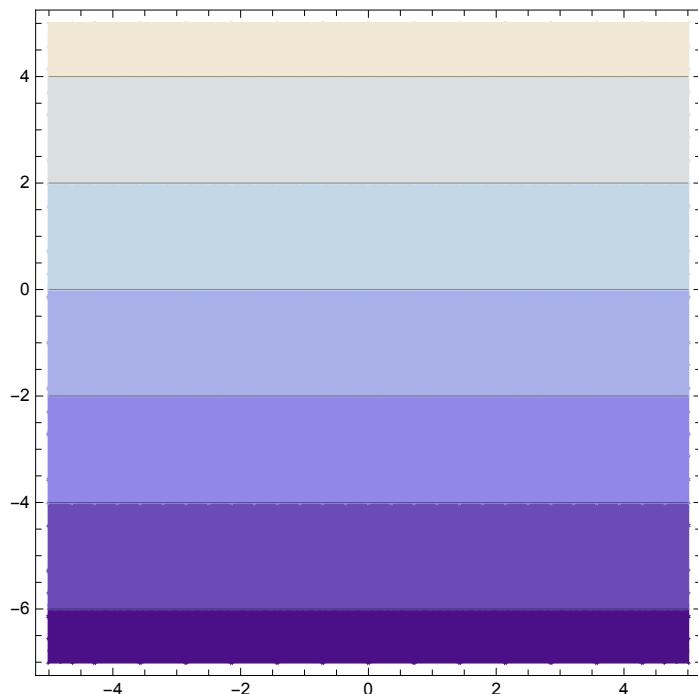
Buch:Höhere Mathematik sehen und verstehen, Haftendorn, Riebesehl, Dammer,
Springer Spektrum, Feb. 2021

Datei [InhomogenesSystem.nb](#) zu Abschnitt 4.6.5 Seite 339, Abb. 4.24

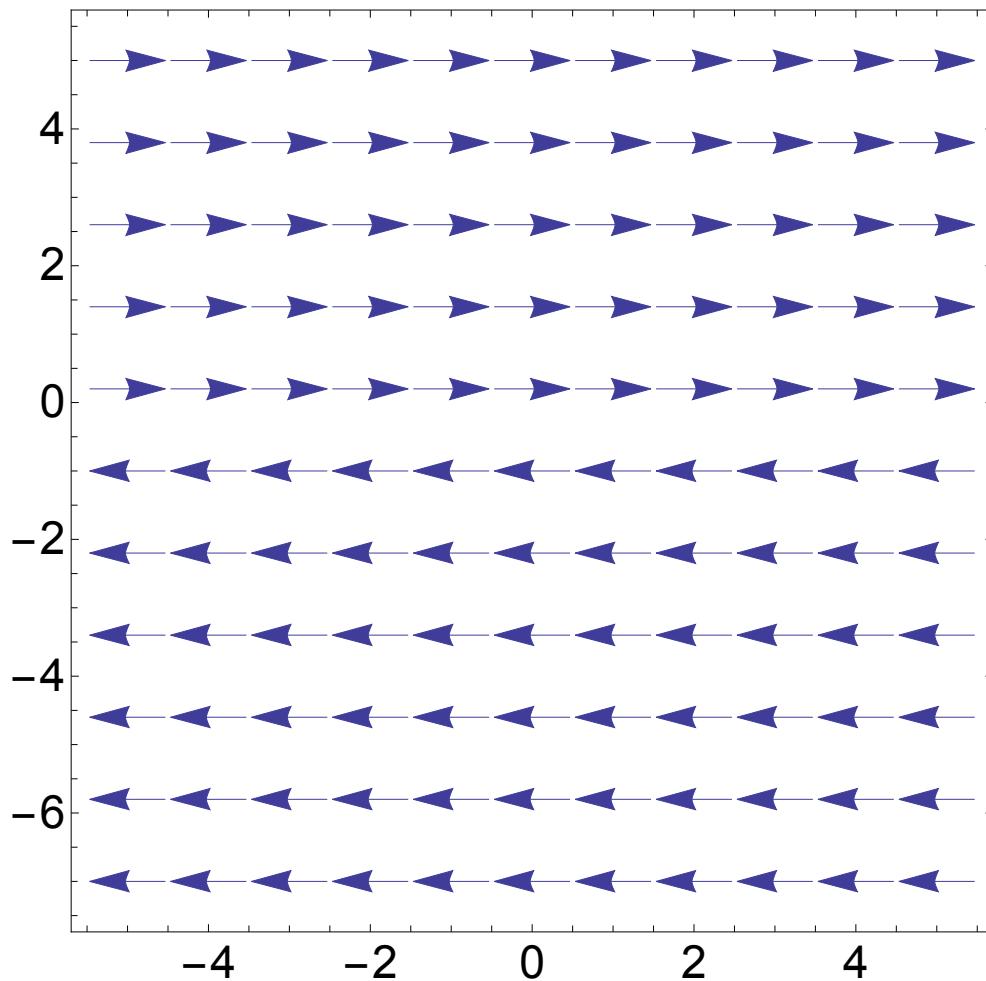


● Homogenes System

```
sol = {x[t], y[t]} /. DSolve[{x'[t] == y[t], y'[t] == 0}, {x[t], y[t]}, t][[1]]  
{C[1] + t C[2], C[2]}  
  
gl = Eliminate[{x, y} == sol, t]  
C[2] == y  
  
werte = {a → 2, b → 1};  
  
ContourPlot[y /. werte, {x, -5, 5}, {y, -7, 5}]
```



```
VectorPlot[{y, 0} /. werte, {x, -5, 5}, {y, -7, 5}, VectorPoints → 11,
VectorScale → {0.06, Automatic, None}, BaseStyle → FontSize → 24]
```



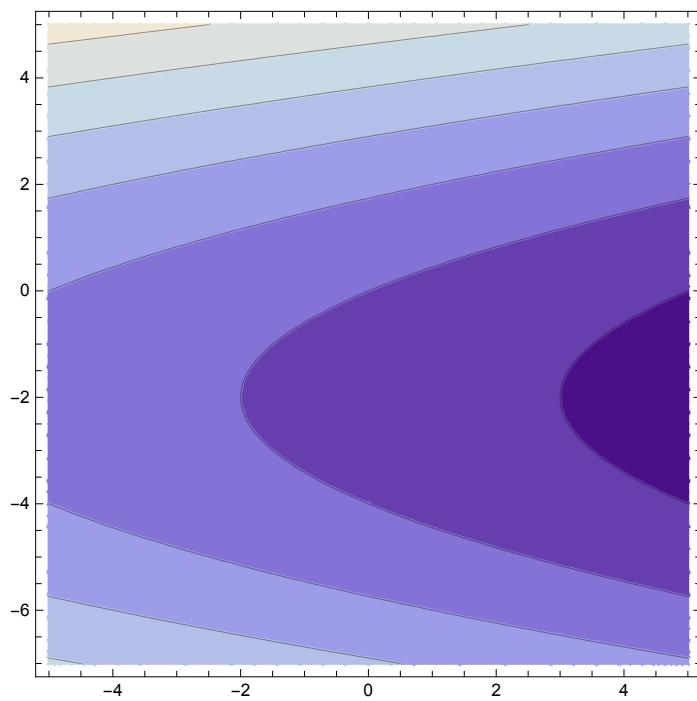
● Inhomogenes System

```
sol = {x[t], y[t]} /. DSolve[{x'[t] == y[t] + a, y'[t] == b}, {x[t], y[t]}, t][[1]]
{a t +  $\frac{b t^2}{2}$  + C[1] + t C[2], b t + C[2]}

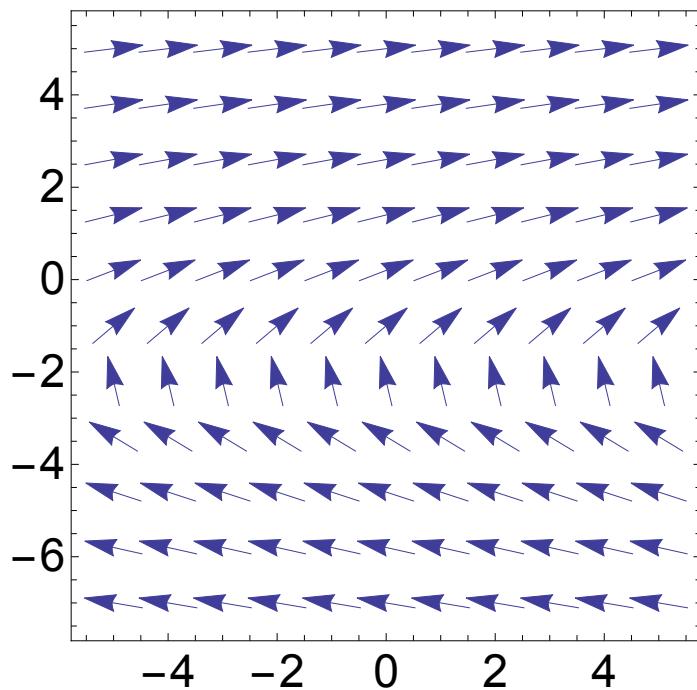
gl = Eliminate[{x, y} == sol, t]
2 b x - 2 b C[1] + 2 a C[2] + C[2]2 == 2 a y + y2

werte = {a → 2, b → 1};
```

```
ContourPlot[2 a y + y2 - 2 b x /. werte, {x, -5, 5}, {y, -7, 5}]
```



```
VectorPlot[{y + a, b} /. werte, {x, -5, 5}, {y, -7, 5}, VectorPoints → 11,  
VectorScale → {0.07, Automatic, None}, BaseStyle → FontSize → 24]
```



```
StreamPlot[{y + a, b} /. werte, {x, -5, 5}, {y, -7, 5},  
BaseStyle → FontSize → 24, StreamScale → {Large, 6, Automatic}]
```

